

CDR Operation for ADF7020, ADF7020-1, ADF7021, and ADF7025

by Austin Harney and Philip Quinlan

INTRODUCTION

The clock and data recovery (CDR) module in the ADF7020, ADF7020-1, ADF7021, and ADF7025 devices is implemented using an oversampled digital phased-locked loop (DPLL), operating at $32\times$ the transmit data rate. The CDR PLL resynchronizes the received bit stream to a local bit clock, Rx clock.

The phase detector in the DPLL measures the phase error by comparing the time between bit transitions in the recovered bit stream and the rising edge of a local bit clock. A numerically controlled oscillator (NCO) generates the recovered clock. When a bit transition is detected at the output of the post-demodulator, the phase of the NCO output is adjusted by $+1/32$, 0, or $-1/32$ of a bit time.

A simplified block diagram of the CDR is shown in Figure 1.

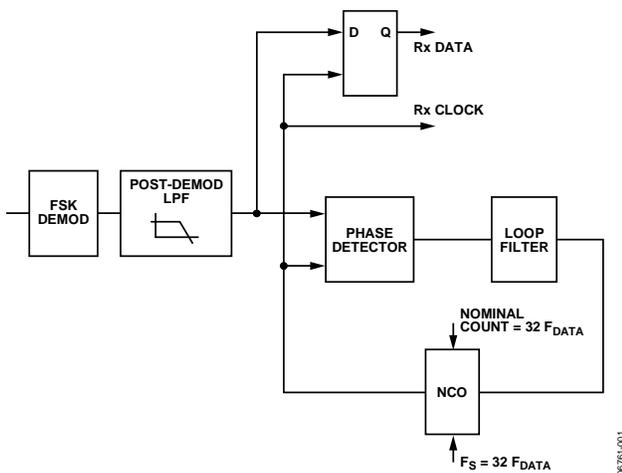


Figure 1. Block Diagram of Symbol Timing Recovery PLL

MAXIMIZING DATA RATE TOLERANCE

The data rate tolerance of the CDR is dependent on the number of bit transitions in the transmit bit stream. This tolerance is maximized, and the CDR lock time is minimized when a maximum transition bit pattern, 10101010..., is used as a preamble. A maximum NCO phase adjustment of $1/32$ of a bit period is permitted in a single bit period. This results in a maximum data rate tolerance of $1/32 \times 100 = \pm 3.13\%$ with a 101010... preamble.

However, this data rate tolerance is reduced in the data field, as shown in Figure 2, where bit transitions are not guaranteed to occur at regular intervals. In general, it is the run-length limit (RLL) properties of the transmit data field that determine the actual data rate tolerance of the CDR.

The RLL property of a code defines the maximum number of identical contiguous bits in the encoded bit stream. In general, all encoding schemes are defined by a (d, k) constraint, where d, k represents the minimum and maximum number of identical symbols between unequal symbols.

As an example, a code with a (d, k) equal to $(0, 4)$, has no more than four contiguous identical bits. Thus, in general, it is the k constraint of the code used for data field encoding that determines the maximum data rate tolerance.

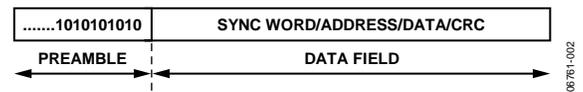


Figure 2. Typical Message Format

As an example, Manchester encoding has a maximum RLL of 2 bits, that is, the maximum number of contiguous bits in the encoded Manchester sequence is 2 bits. For example, a Manchester encoder input code word of 0101 results in an output code word of 01100110 at twice the input data rate. Thus, the maximum tolerance is $\pm 3.125\%/2 = \pm 1.56\%$ of the Manchester encoded output rate. In practice, however, the tolerance is larger than this because the average RLL at the Manchester encoder output is less than 2. Simulations show that, given a random input binary bit sequence, it is possible to support a data rate tolerance of approximately $\pm 2\%$ using Manchester encoding.

Another low complexity encoding scheme that can be used to maximize data rate tolerance is to insert additional data bits at specific time intervals in the transmit bit stream to guarantee a specific maximum RLL. This is referred to as a bit stuffing code.

The advantage to this scheme is that it is simple to implement, and it does not suffer from the high code rate loss that exists with Manchester encoding, where the code rate is $1/2$.

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the incoming data even in the presence of long strings of consecutive 1s or 0s.

For bursty packet-based systems, for example, where the payload is typically fewer than 64 bytes, the CDR can tolerate long consecutive strings of 1s or 0s if the nominal CDR frequency error between the CDR_CLK and $32 \times \text{DATARATE}$ is minimized.

This is best done by choosing an appropriate DATARATE and crystal combination so that the DATARATE is an exact sub-

multiple of the crystal. For example, to minimize the CDR frequency error for a 9.6 kbps DATARATE, an 11.0592 MHz crystal is a good choice. In that case, the nominal frequency error is simply the frequency error between the transmit and receiver crystals, which typically results in better than ± 50 ppm or 0.005% nominal frequency error. This frequency error allows 2000 contiguous bits. Alternatively, a 12 MHz crystal yields a nominal frequency error of close to 2.2% and, therefore, a maximum RLL of only 2 bits.